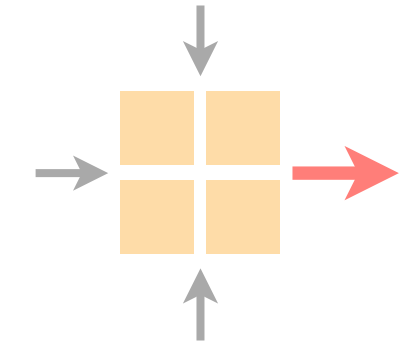


Communication Networks

Spring 2022



Coralie Busse-Grawitz

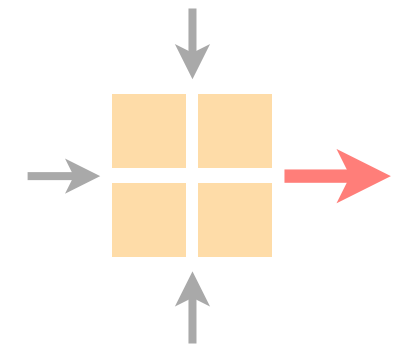
<http://comm-net.ethz.ch/>

ETH Zürich

10. March 2022

Communication Networks

Spring 2022



last week's exercise

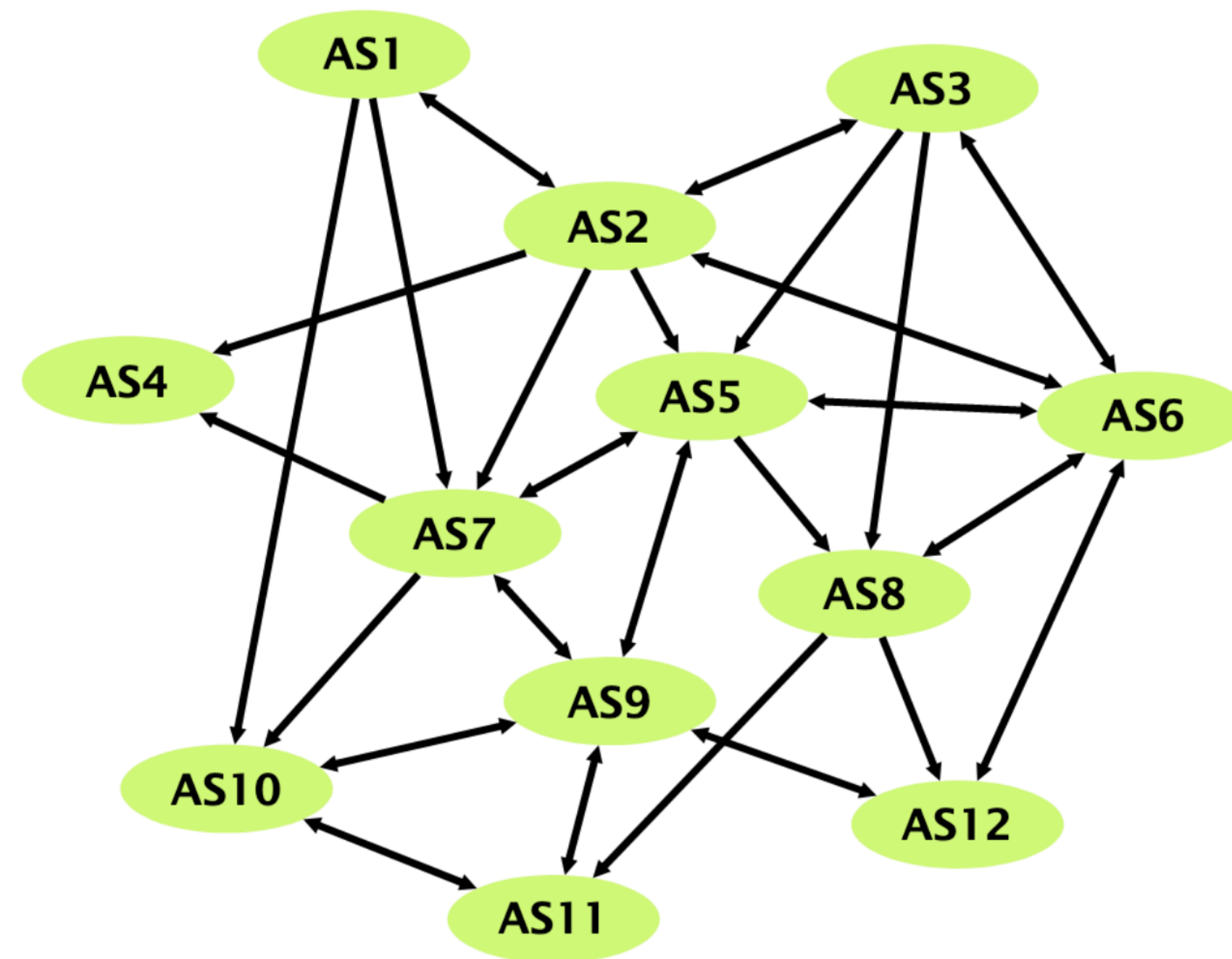
interactive questions

this week's exercise

time to solve the exercise

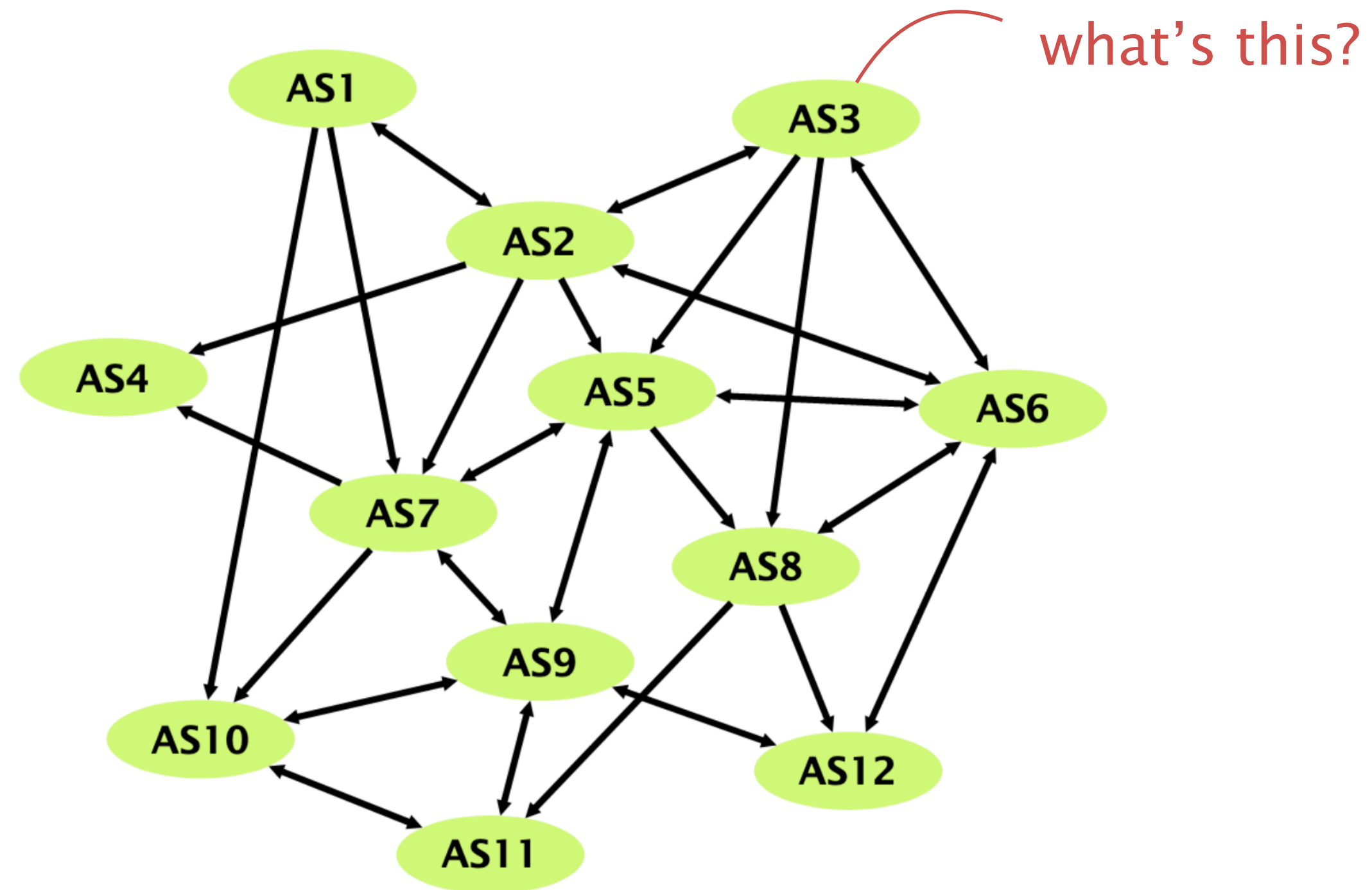
Task 1.2

Internet Organization

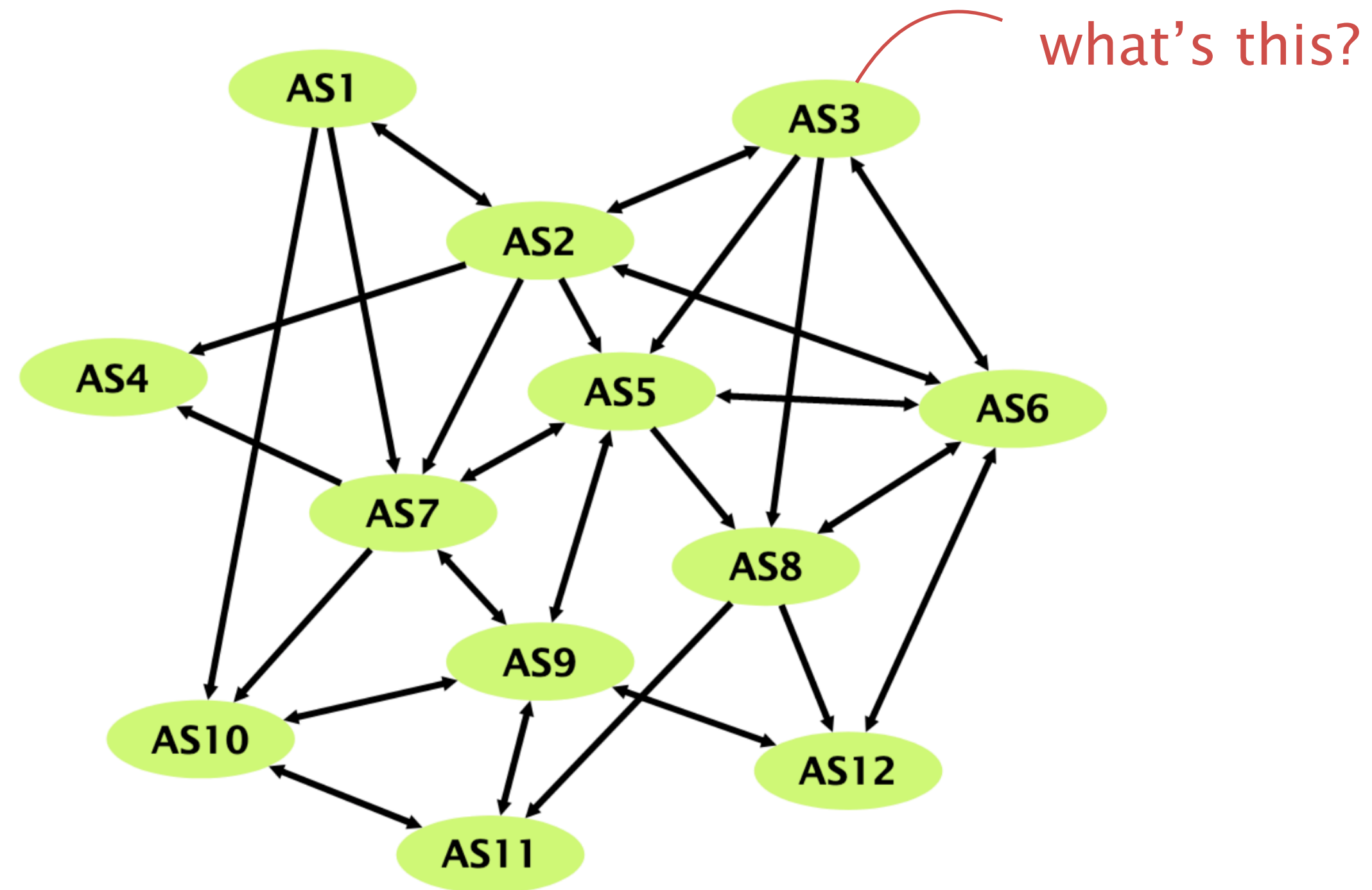


Task 1.2

Internet Organization



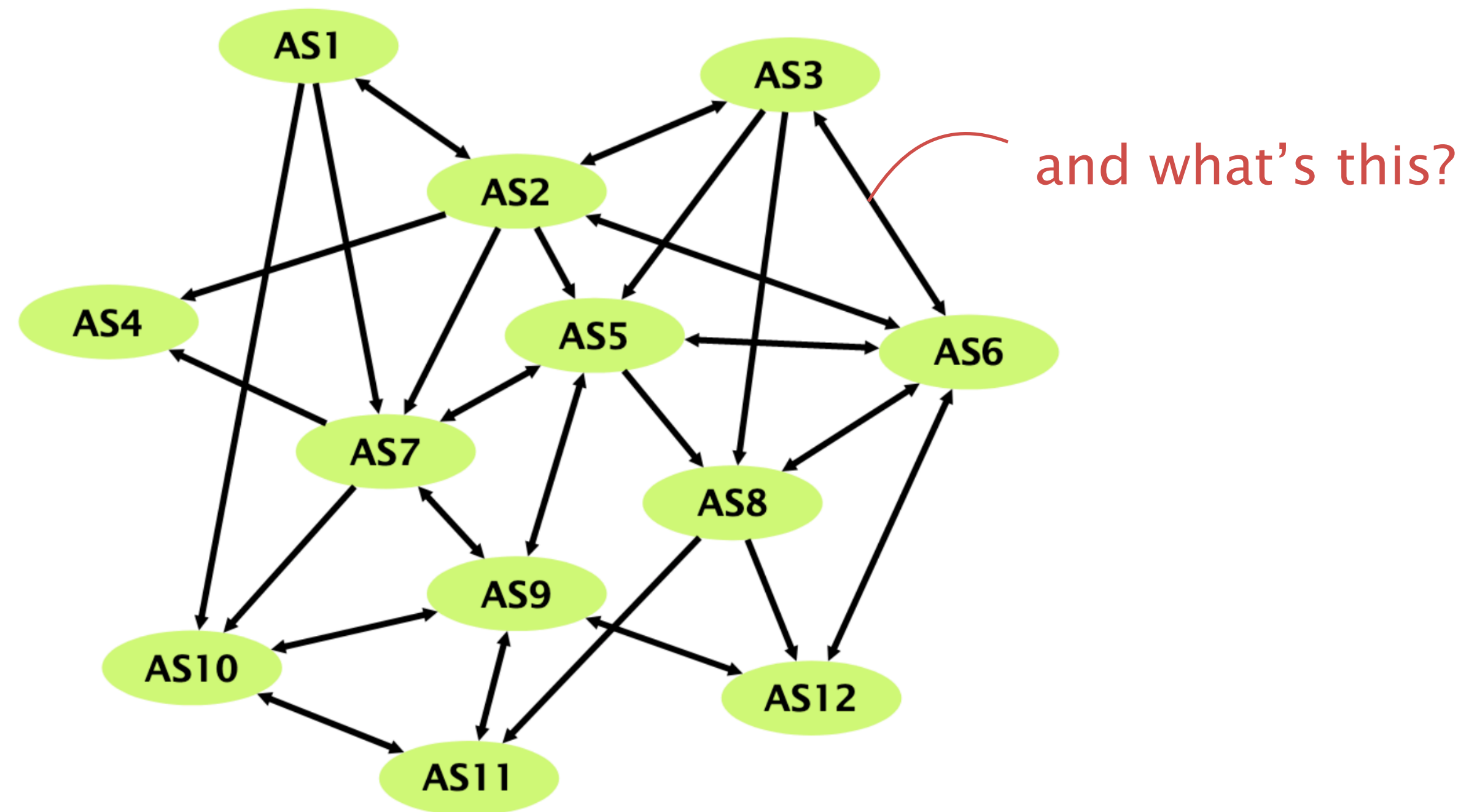
An Autonomous System is
a “managed network entity”



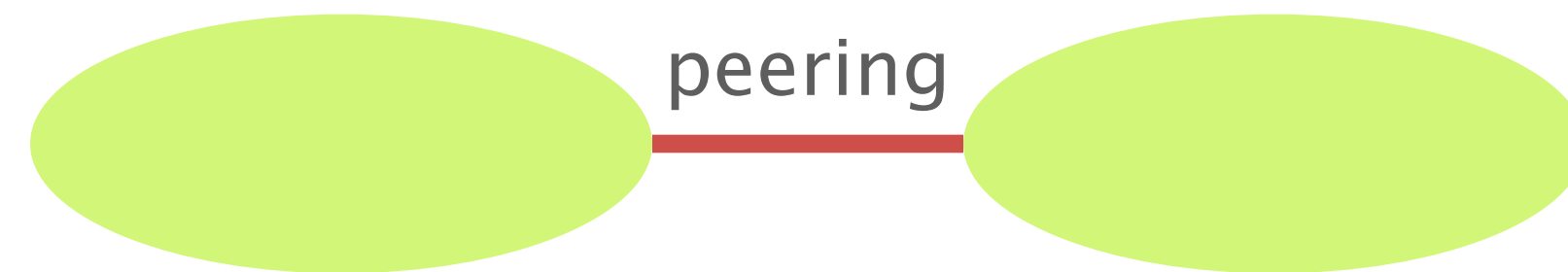
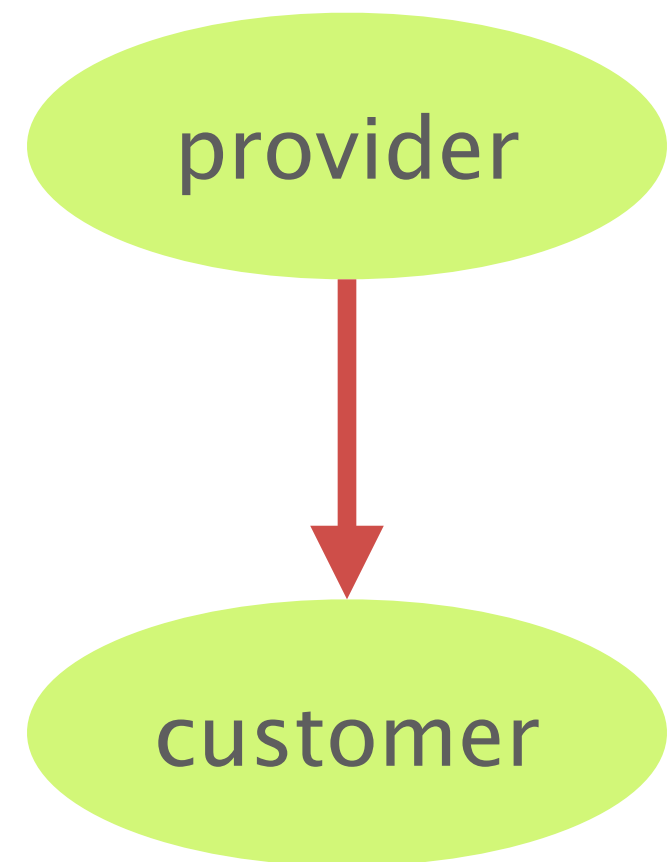
You will get a more in-depth picture in a few weeks :)

Task 1.2

Internet Organization

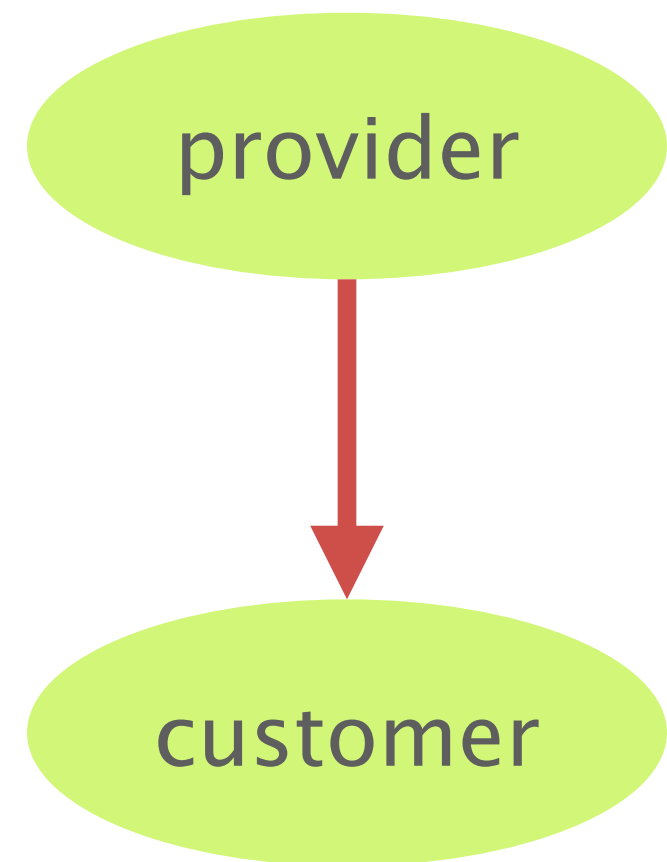


The arrows represent the
ASes' business relations

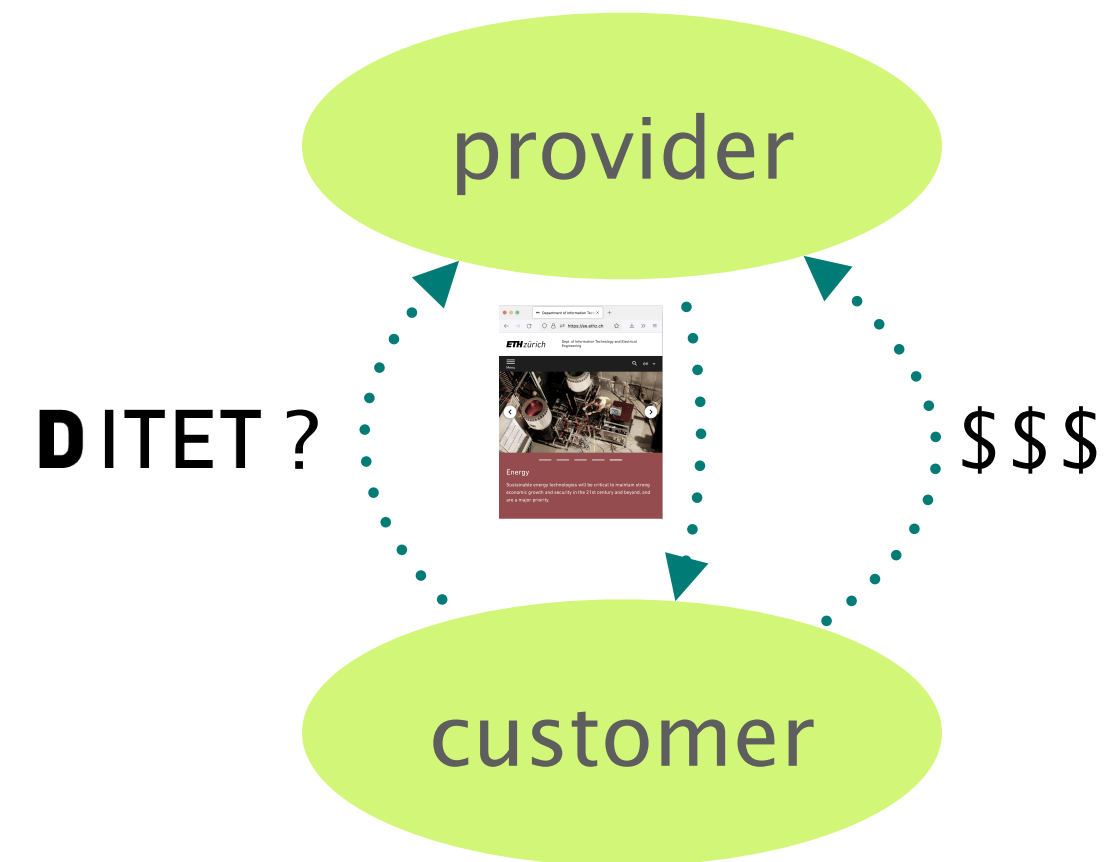


The arrows represent the ASes' business relations

notation



service example

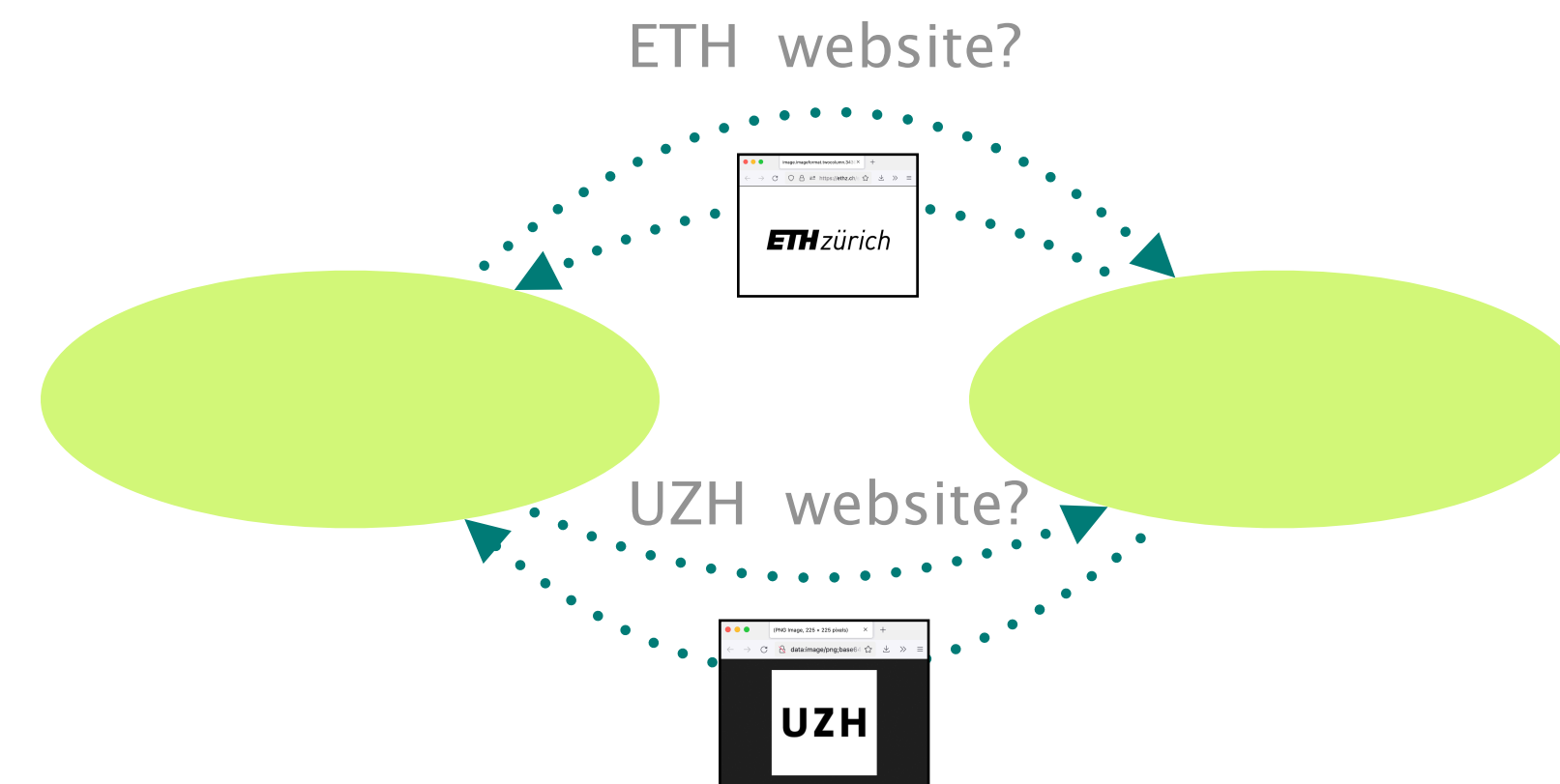


The arrows represent the ASes' business relations

notation



service example



no cost

from the lecture...

The Internet has a hierarchical structure

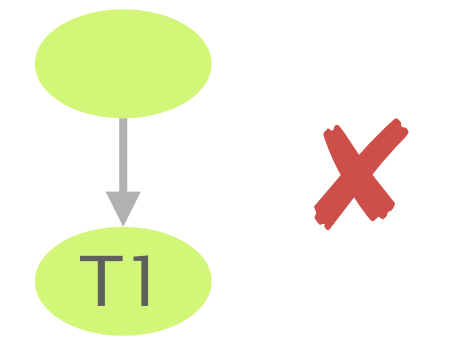
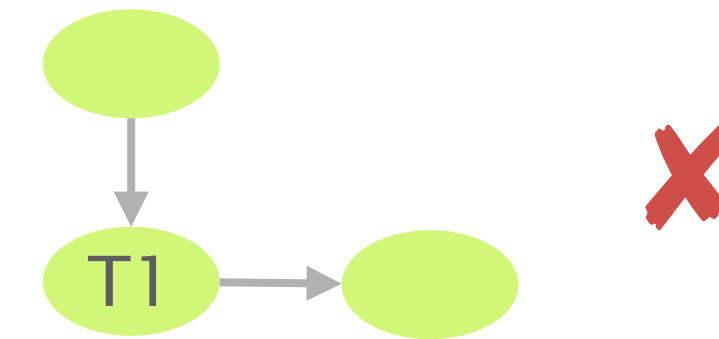
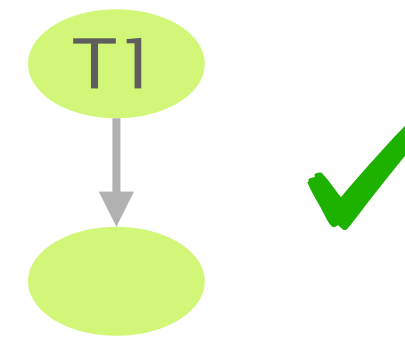
Tier-1 international	have no provider
Tier-2 national	provide transit to Tier-3s have at least one provider
Tier-3 local	do not provide any transit have at least one provider

from the lecture...

The Internet has a hierarchical structure

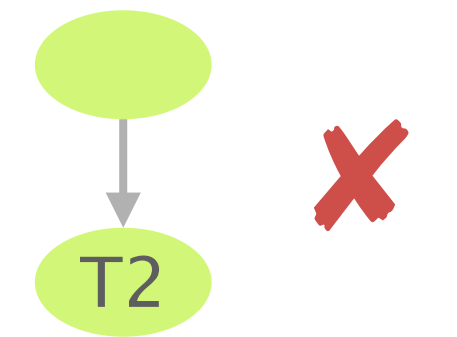
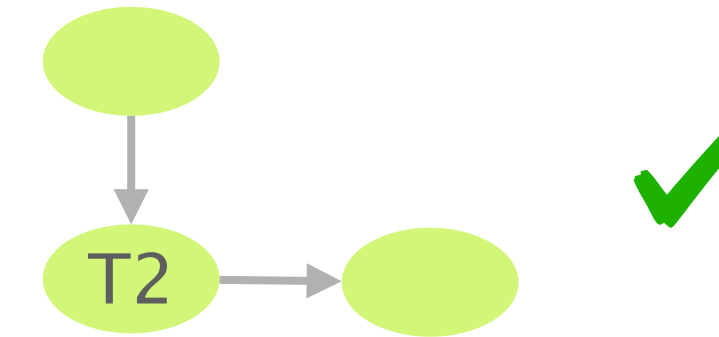
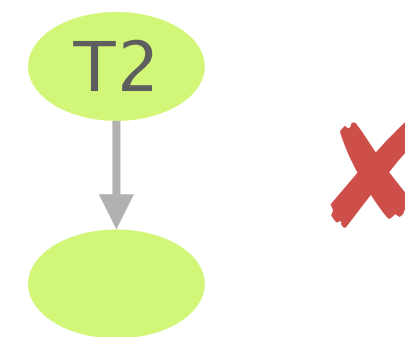
Tier-1
international

have no provider



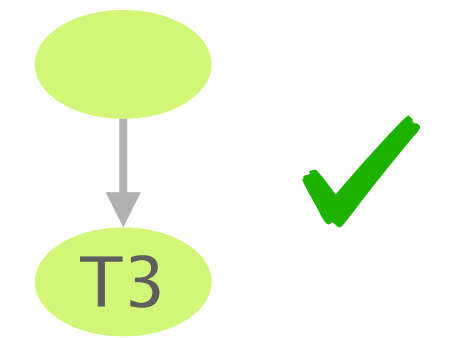
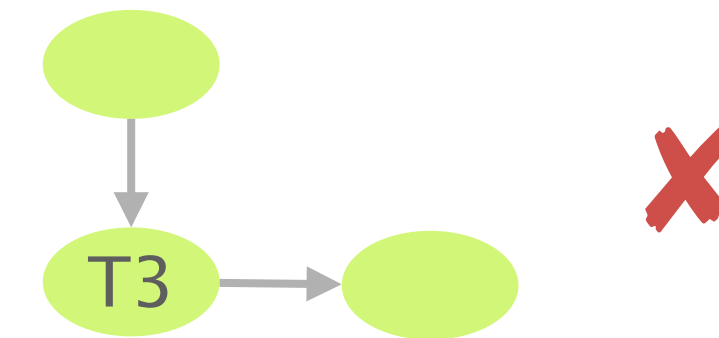
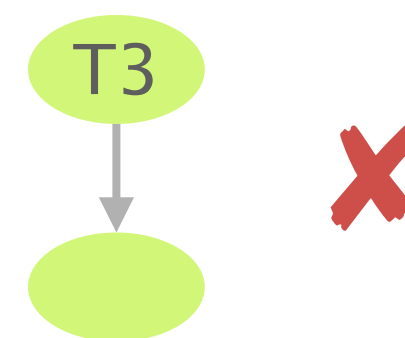
Tier-2
national

provide transit to Tier-3s
have at least one provider



Tier-3
local

do not provide any transit
have at least one provider

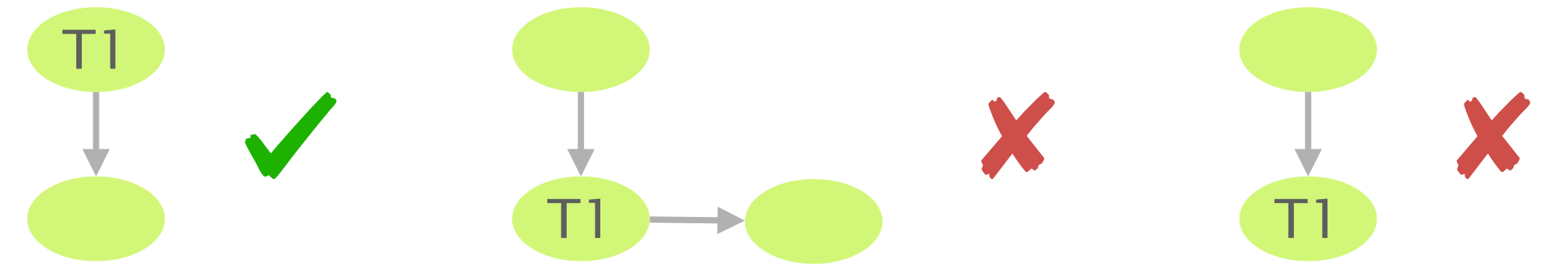


from the lecture...

The Internet has a hierarchical structure

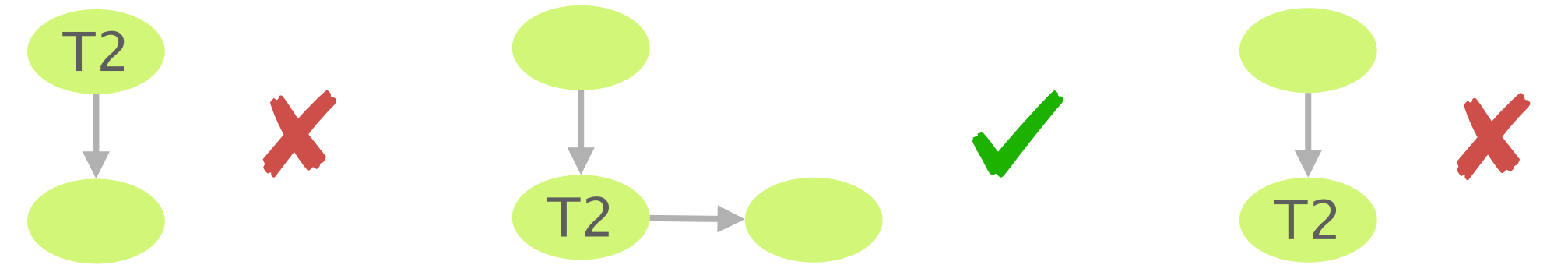
Tier-1
international

have no provider



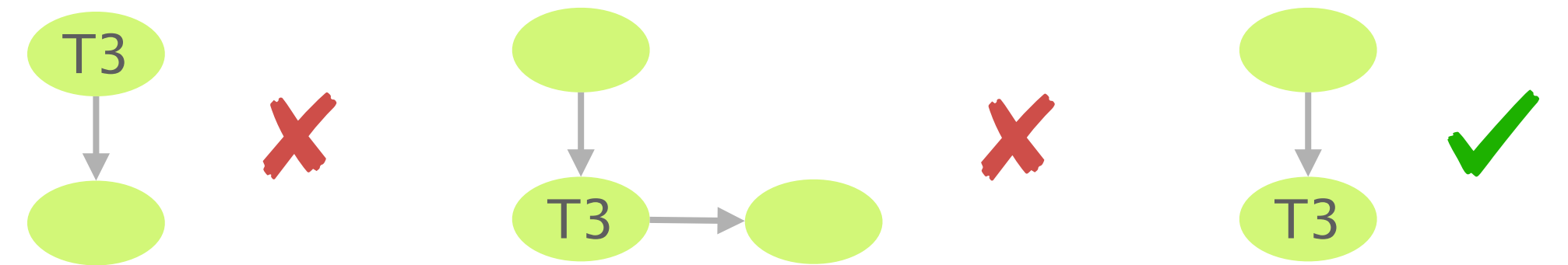
Tier-2
national

provide transit to Tier-3s
have at least one provider



Tier-3
local

do not provide any transit
have at least one provider

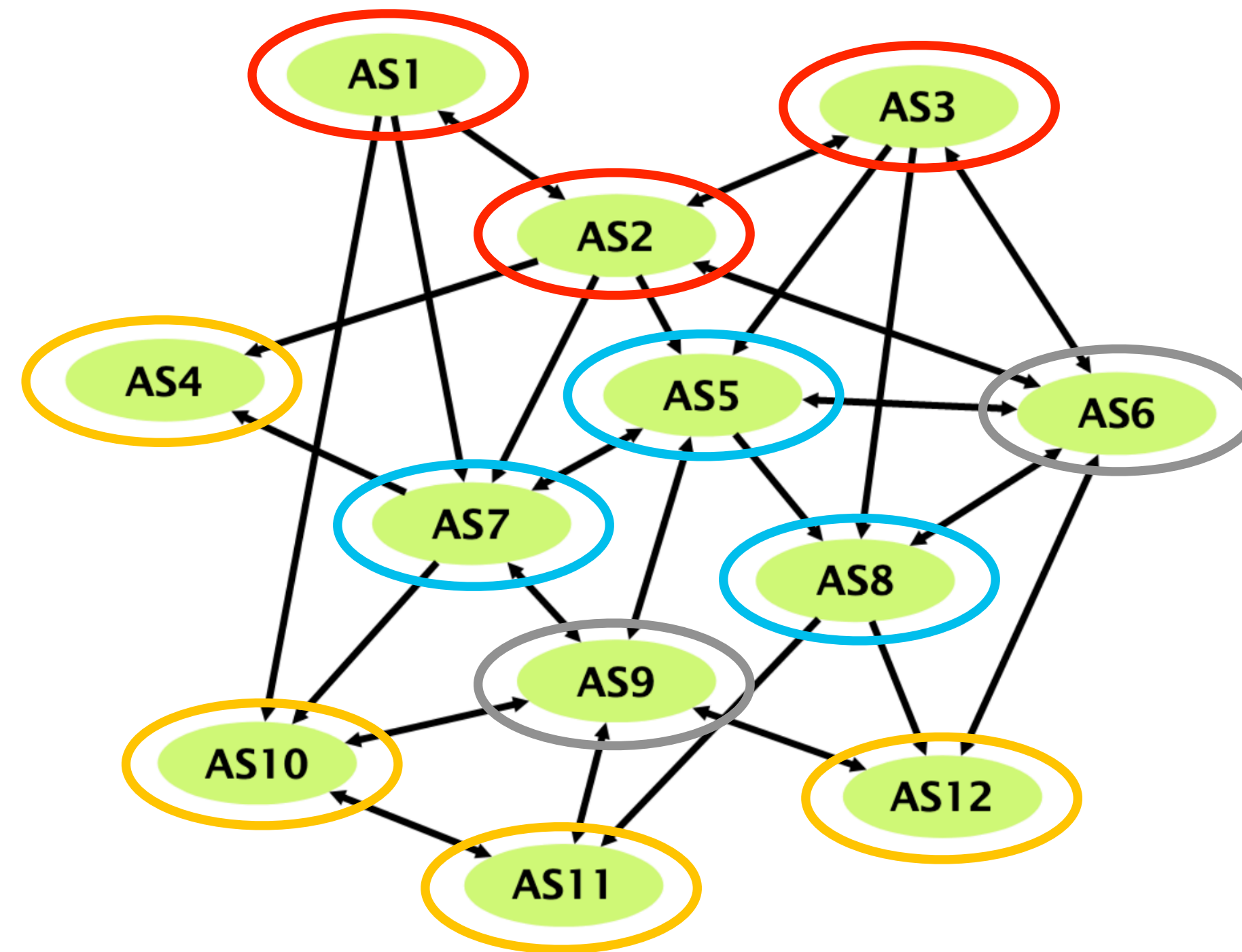


+ IXPs

only peer

Task 1.2

Internet Organization



Tier 1

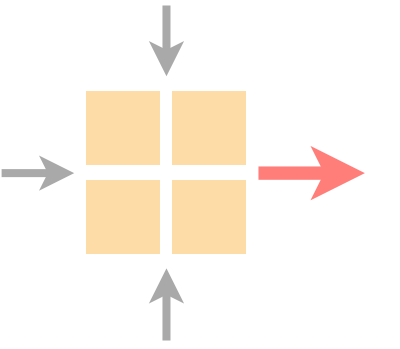
Tier 2

Tier 3

IXP

Communication Networks

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last week's exercise

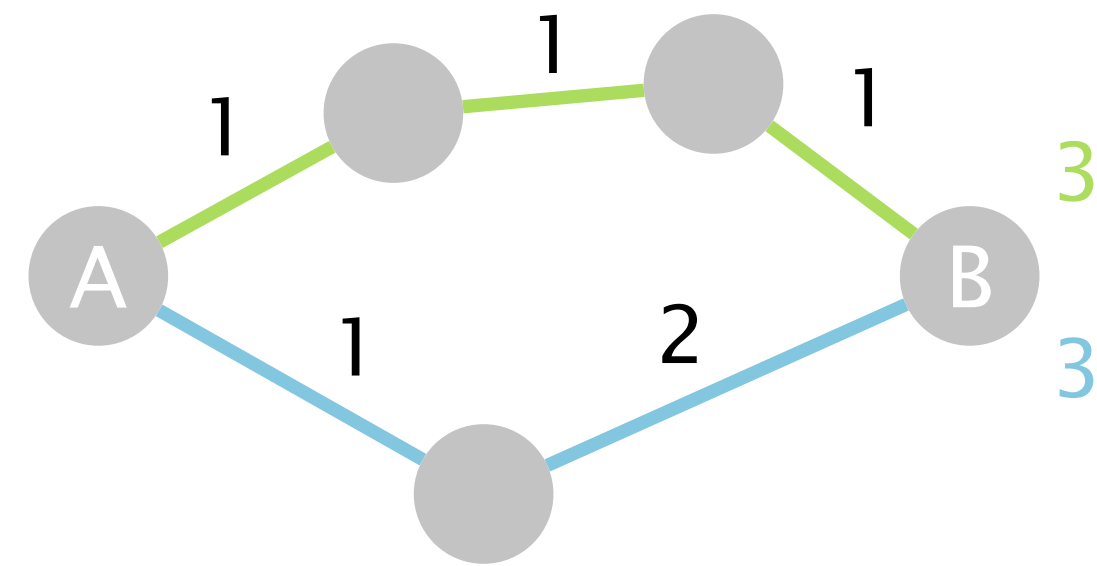
interactive questions

this week's exercise

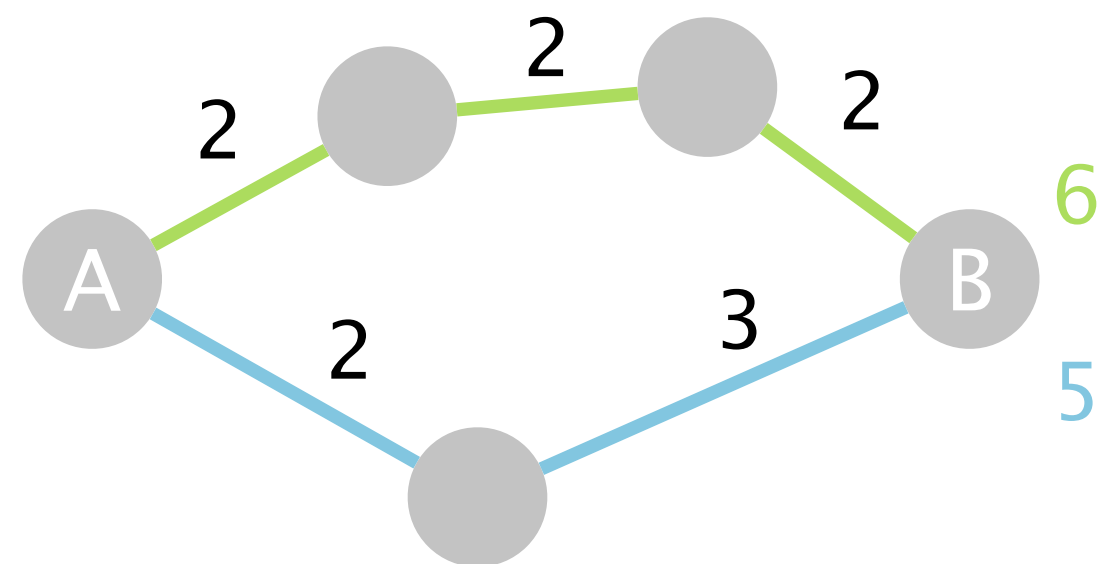
time to solve the exercise

If one adds 1 to all link weights,
the shortest paths stay the same

If one adds 1 to all link weights,
the shortest paths stay the same



If one adds 1 to all link weights, the shortest paths stay the same



When routing by flooding on a spanning tree,
all switches learn the location of all endpoints

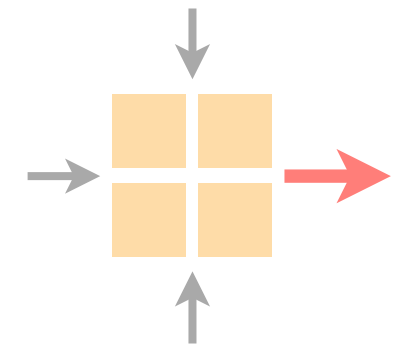
When routing by flooding on a spanning tree,
all switches learn the location of all endpoints

Link-State protocols rely
on a global network view

Link-State protocols rely
on a global network view

Communication Networks

Spring 2022



last week's exercise

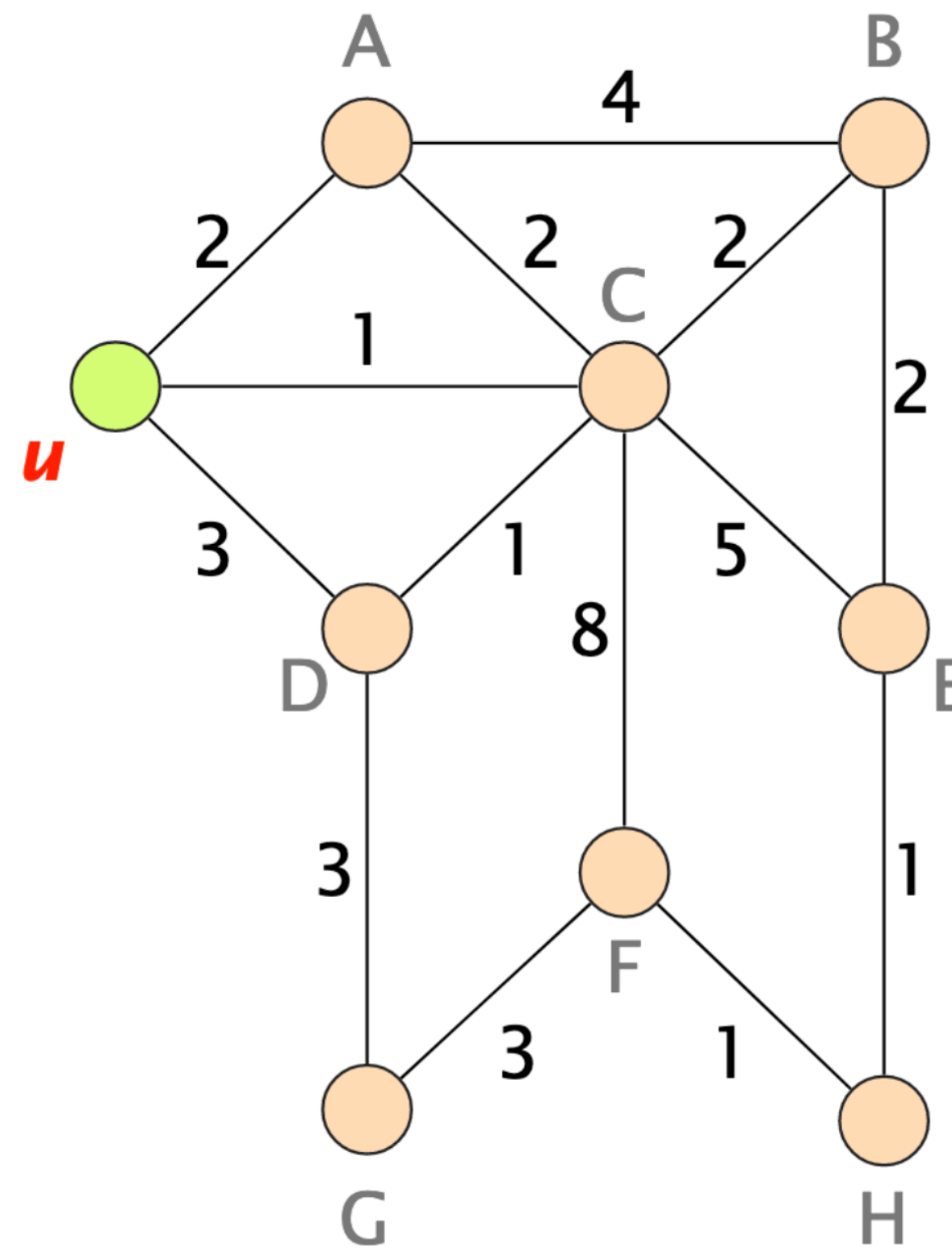
interactive questions

this week's exercise

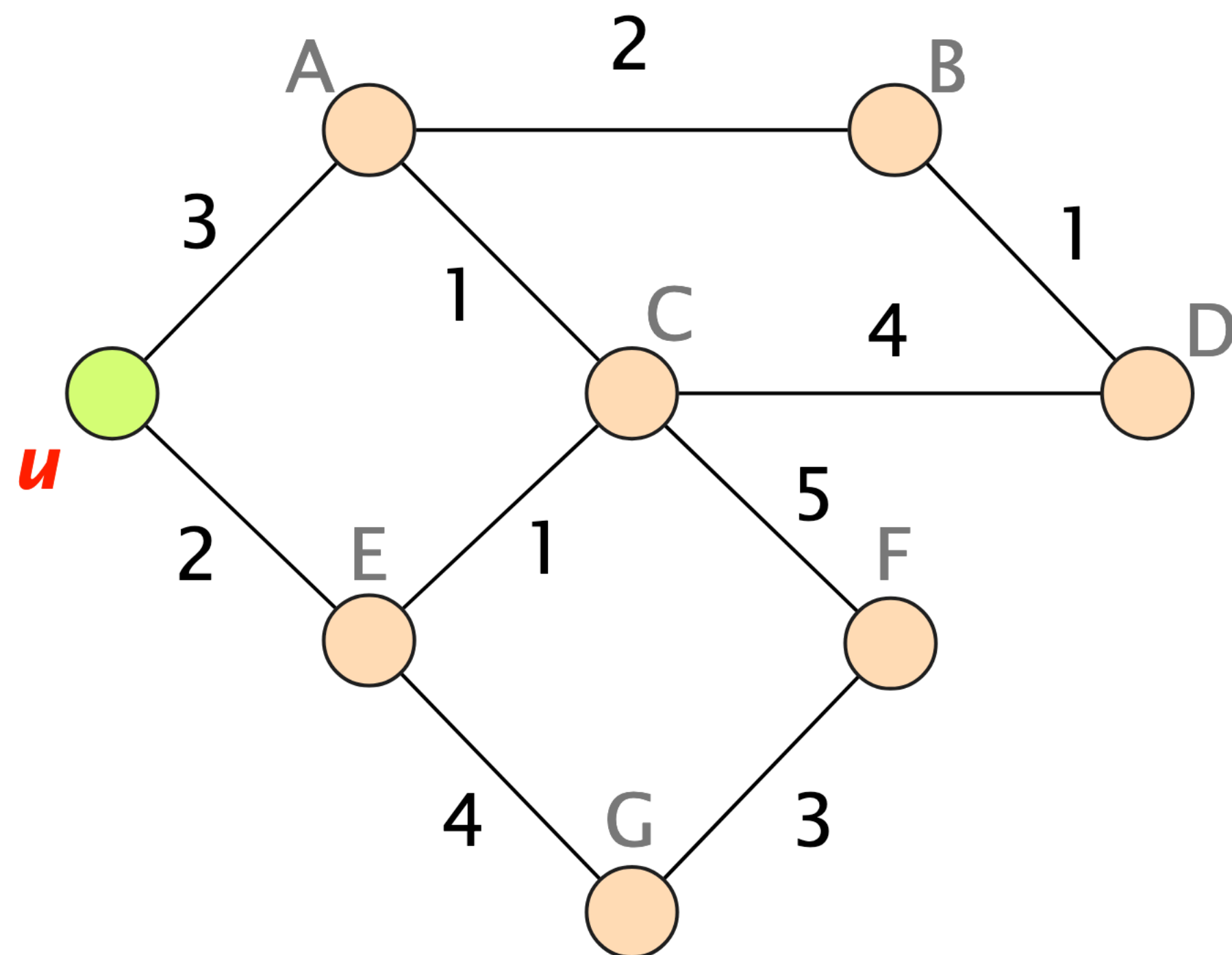
time to solve the exercise

Task 1

Dijkstra's Algorithm



Let's compute the shortest paths from u using Dijkstra's algorithm

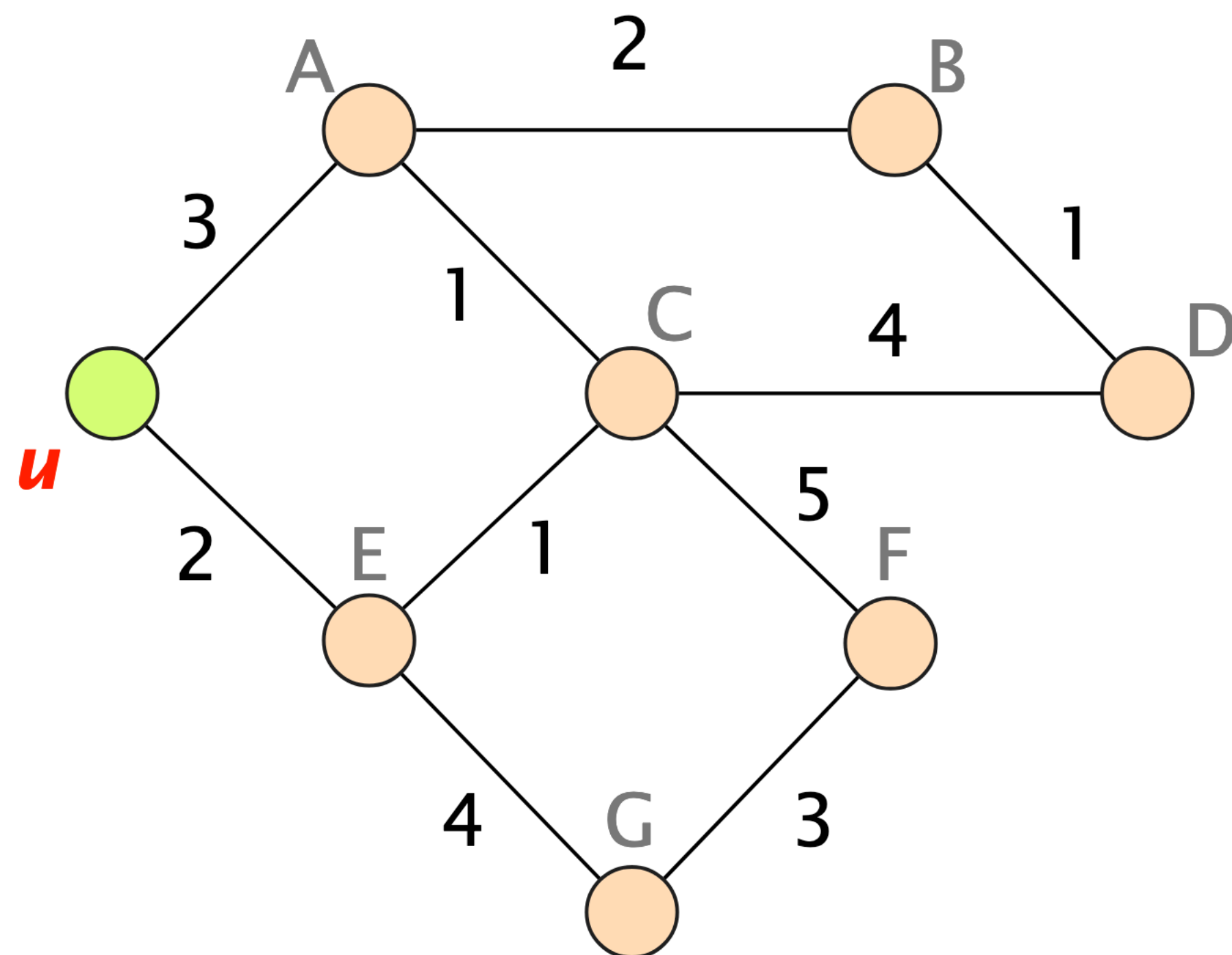


$S = \{u\}$ — set of nodes for which we know the shortest-path

$D(v)$ — the smallest distance currently known by u to reach v

$c(u, v)$ — the weight of the link connecting u and v

Let's compute the shortest paths from u using Dijkstra's algorithm



Initialization

$S = \{u\}$

for all nodes v :

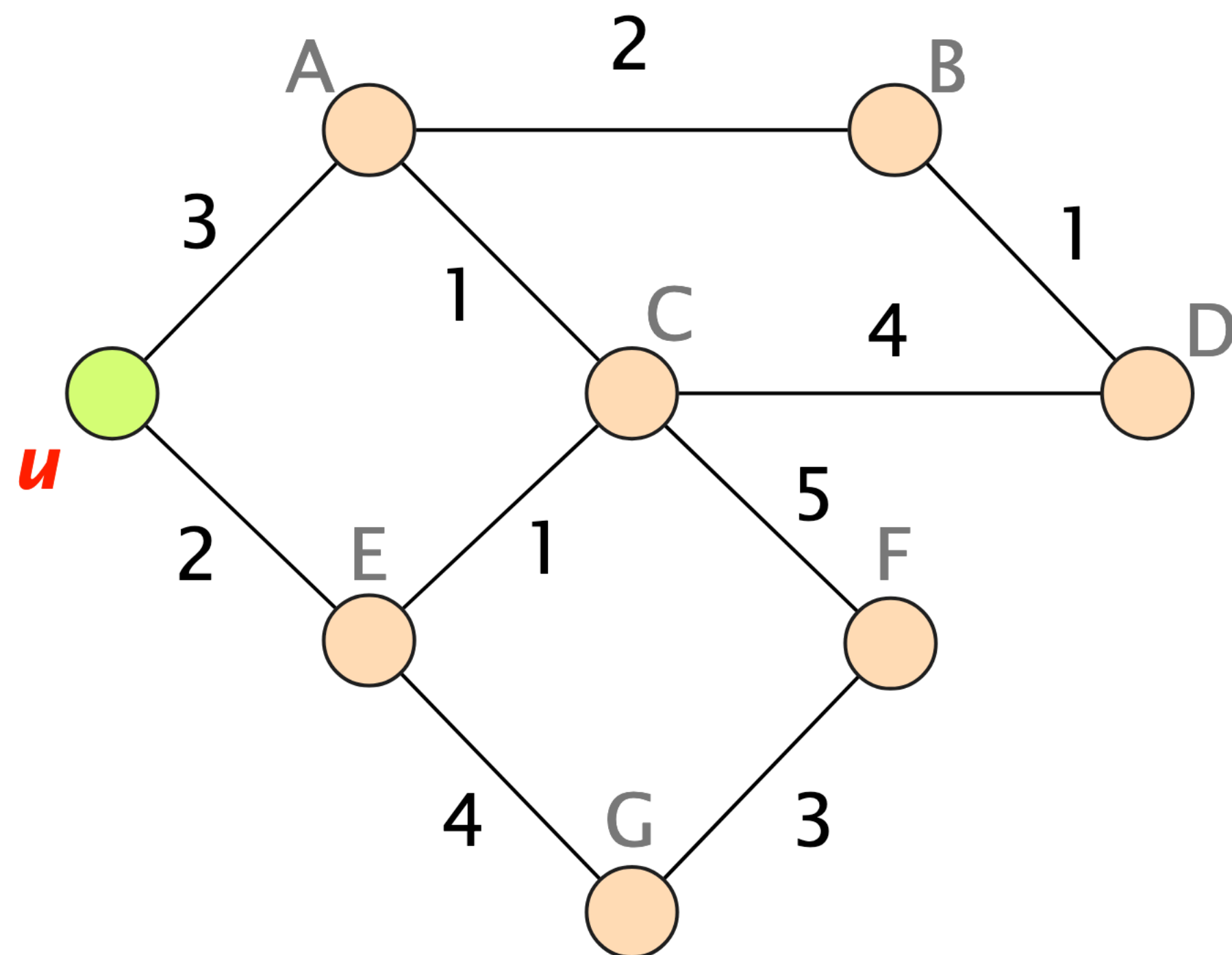
if (v is adjacent to u):

$$D(v) = c(u, v)$$

else:

$$D(v) = \infty$$

Let's compute the shortest paths from u using Dijkstra's algorithm

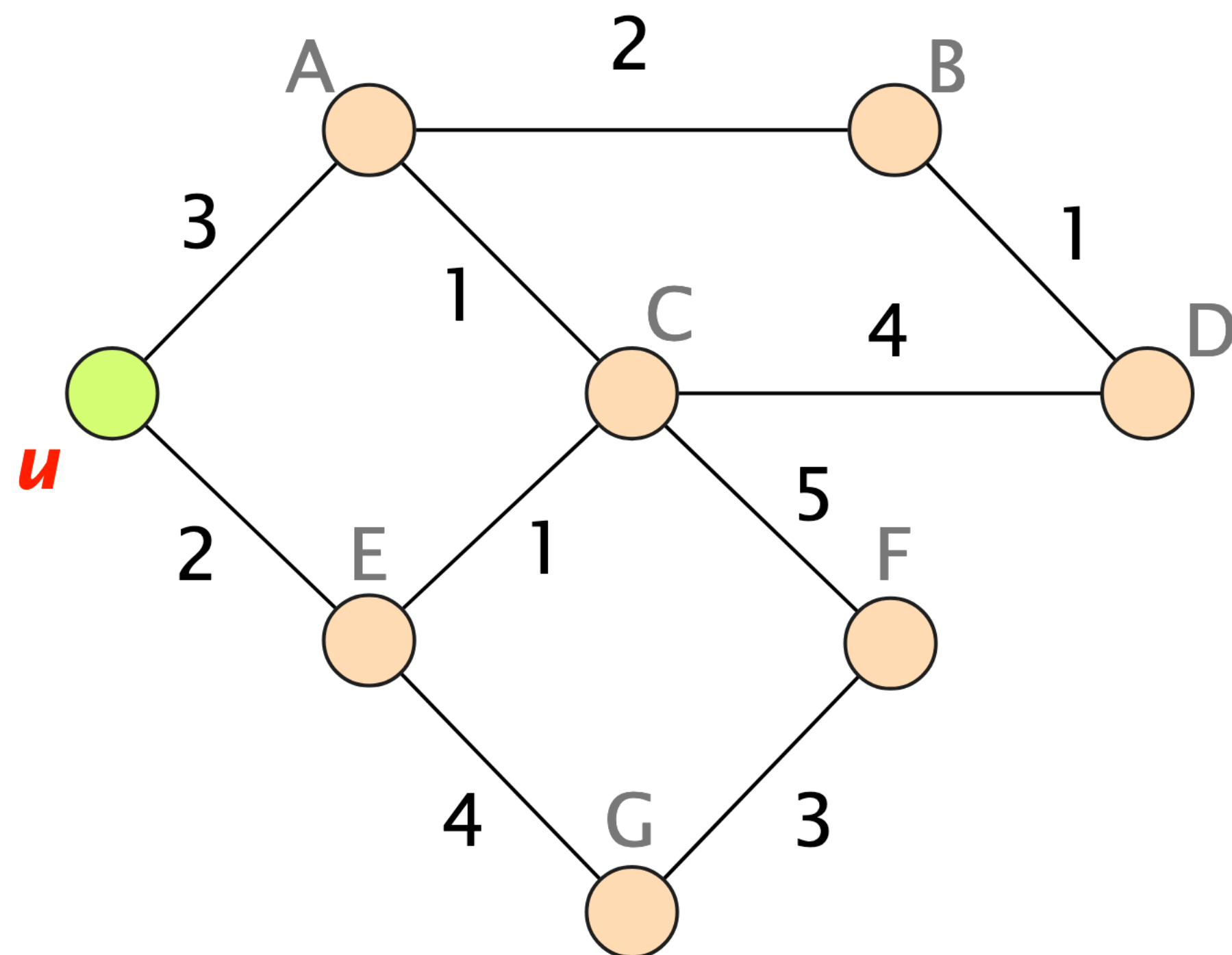


$D(.) =$

$S = \{u\}$

A	3
B	∞
C	∞
D	∞
E	2
F	∞
G	∞

Let's compute the shortest paths from u using Dijkstra's algorithm



Loop

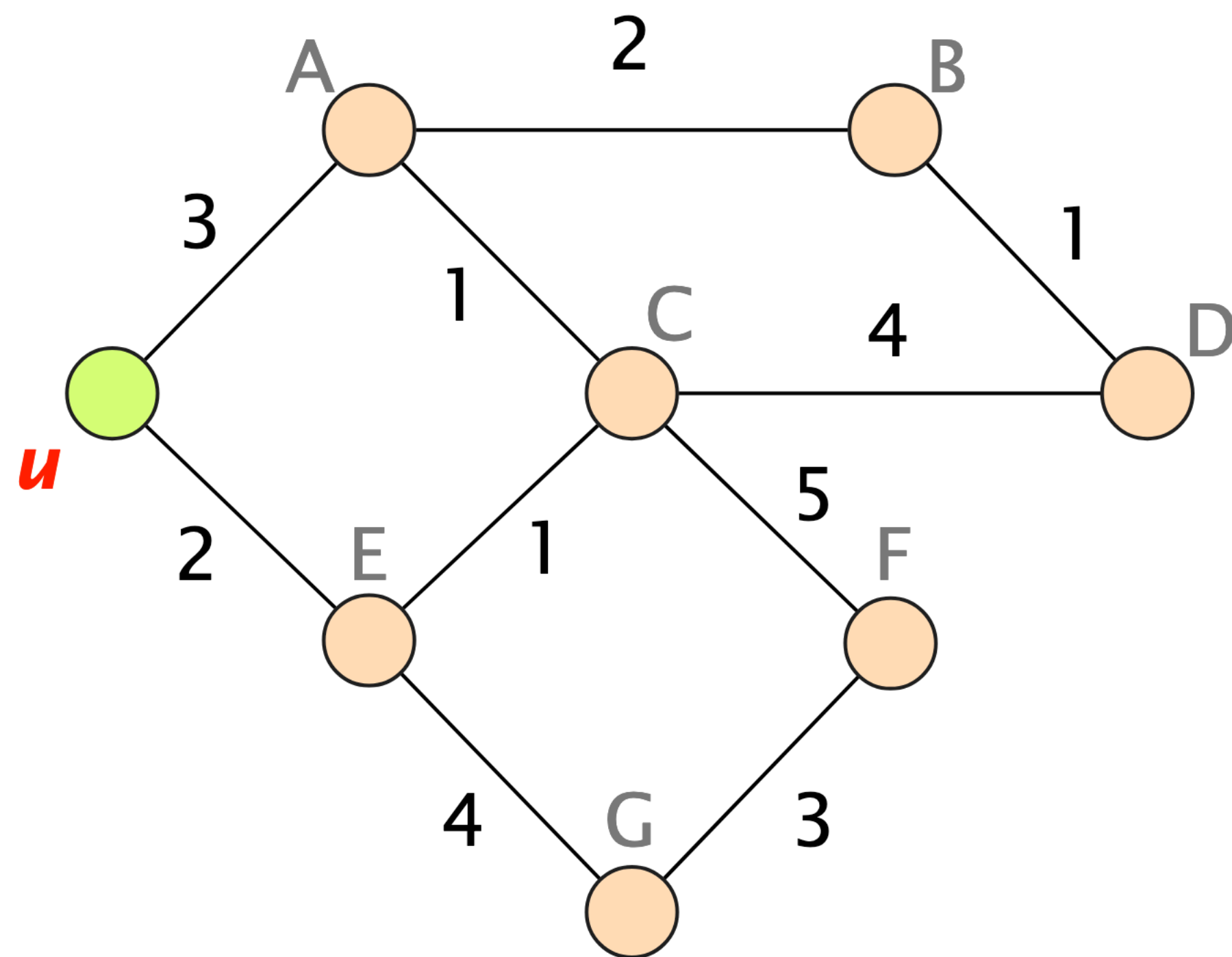
while *not* all nodes in S:

add w with the smallest $D(w)$ to S

update $D(v)$ for all adjacent v not in S:

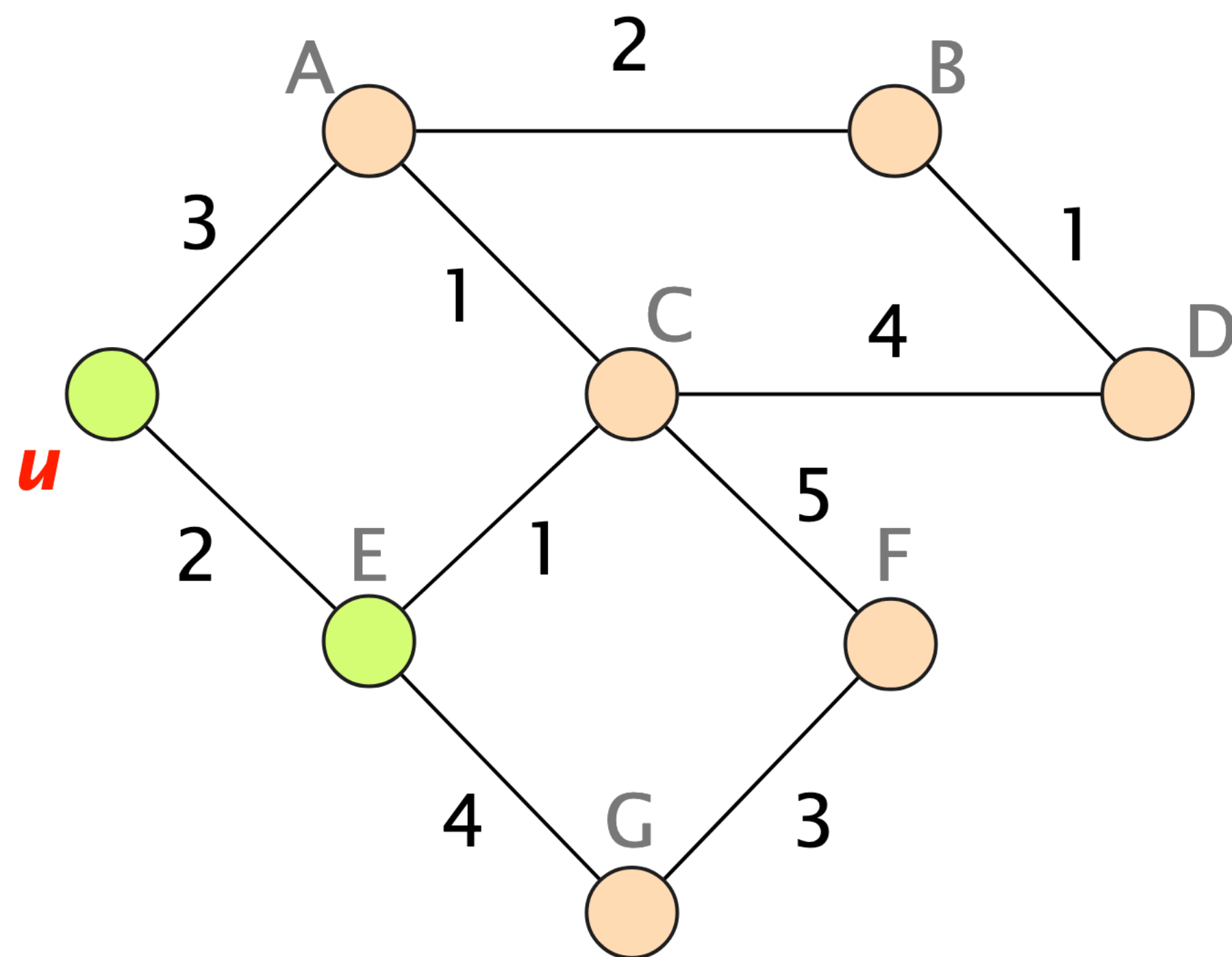
$$D(v) = \min\{D(v), D(w) + c(w,v)\}$$

Let's compute the shortest paths from u using Dijkstra's algorithm



	$D(.) =$	$S = \{u\}$
A	3	
B	∞	
C	∞	
D	∞	
E	2	smallest $D(w)$
F	∞	
G	∞	

Let's compute the shortest paths from u using Dijkstra's algorithm



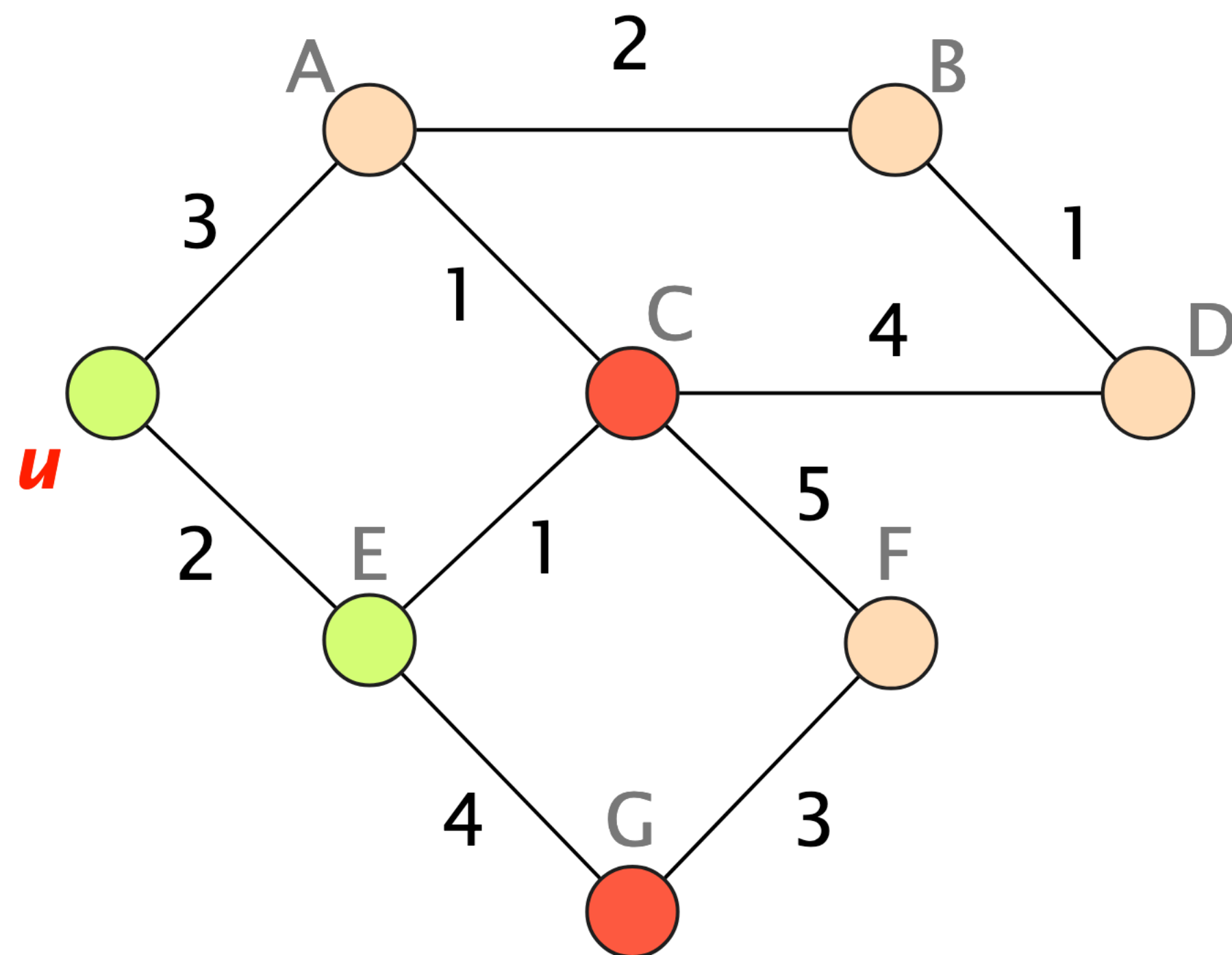
$D(.) =$

A	3
B	∞
C	∞
D	∞
E	2
F	∞
G	∞

add E to S

$S = \{u, E\}$

Let's compute the shortest paths from u using Dijkstra's algorithm



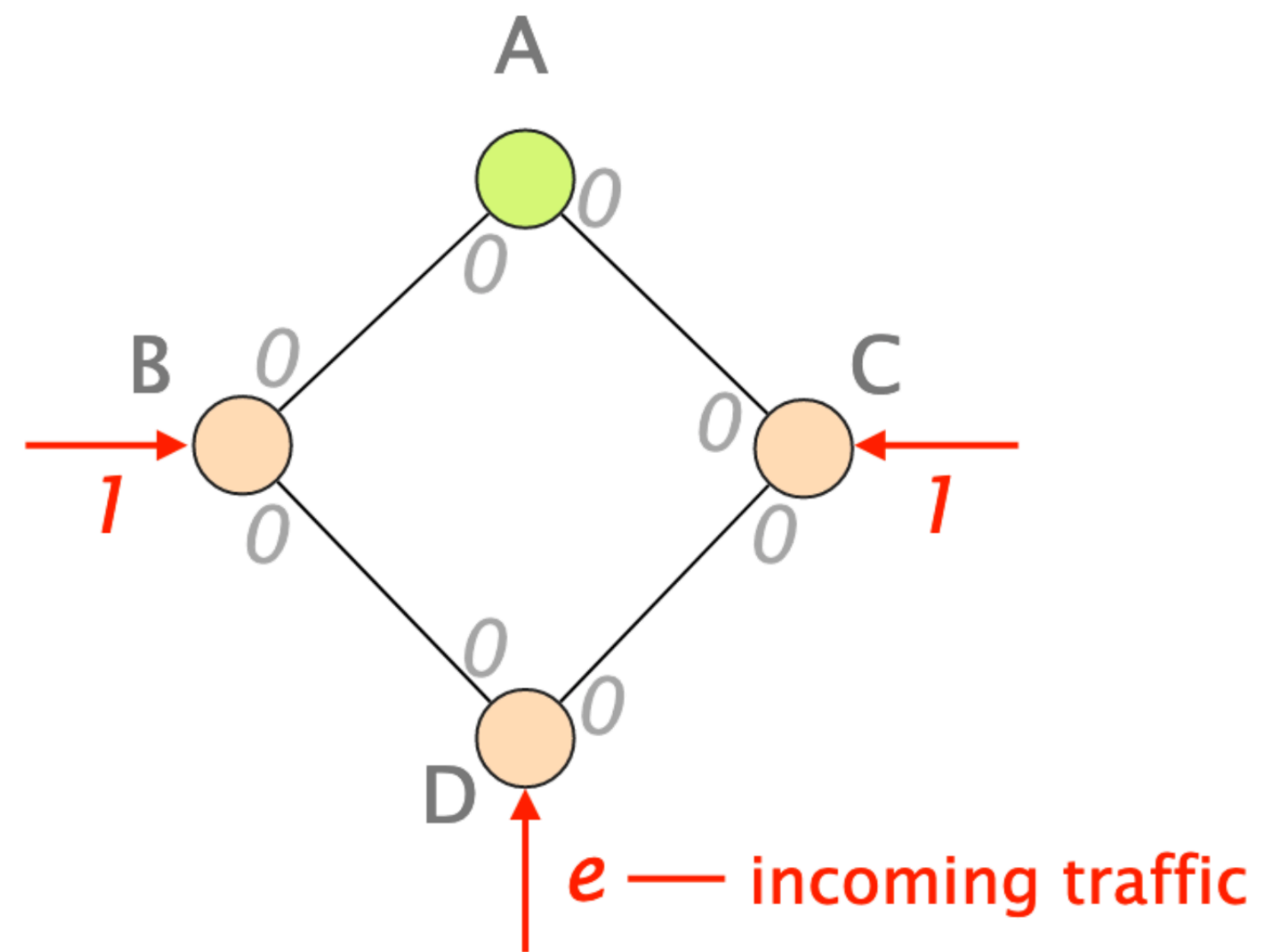
$D(.) =$

$S = \{u, E\}$

A	3	
B	∞	
C	3	$D(v) = \min\{\infty, 2 + 1\}$
D	∞	
E	2	
F	∞	
G	6	$D(v) = \min\{\infty, 2 + 4\}$

Task 2

Changing weights



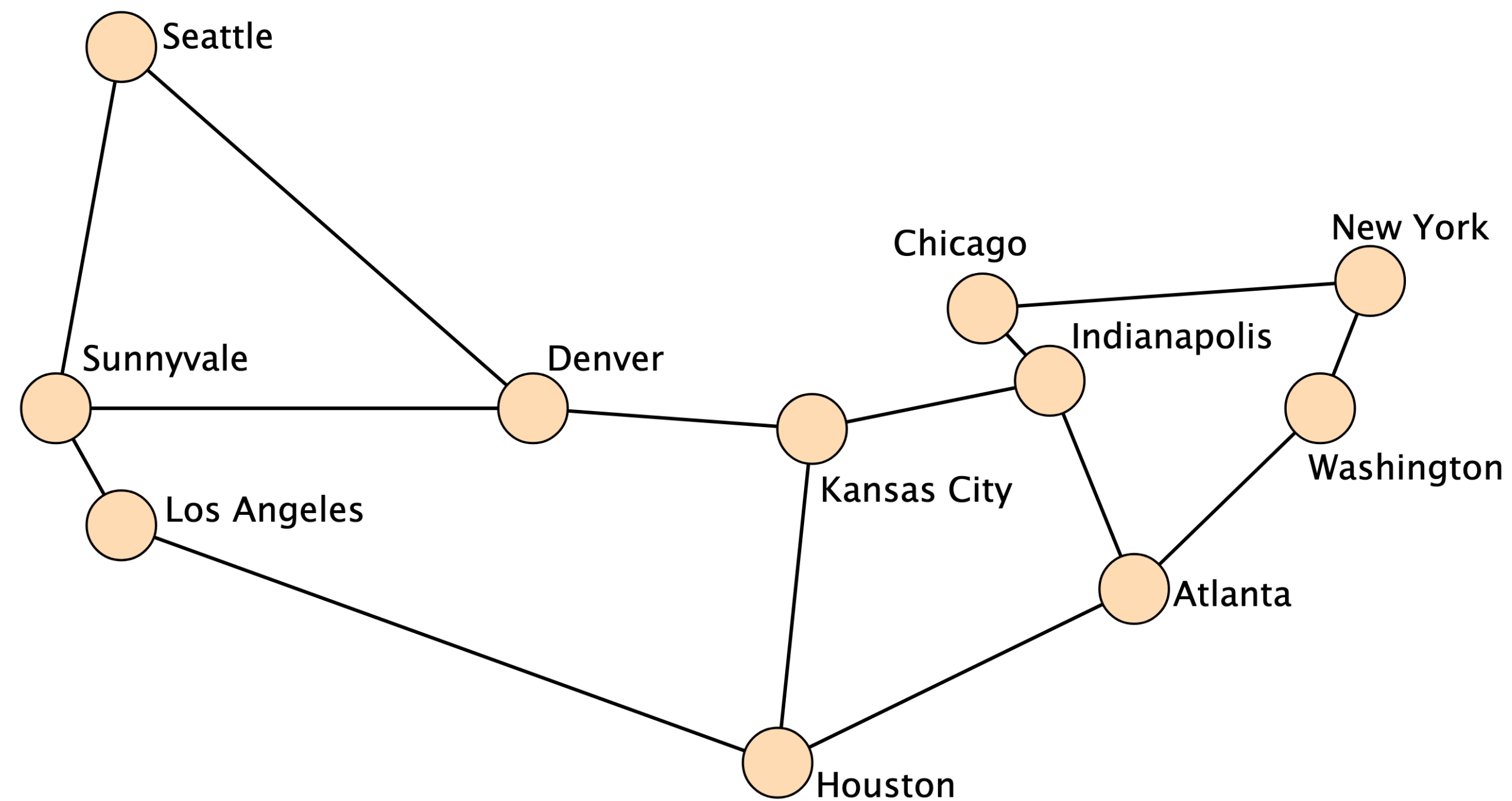
Consider dynamic weights

Weights can be asymmetric

Next-hop as tie-break value

Task 3

Link Weight Configuration



The Abilene network in the US

Task 4

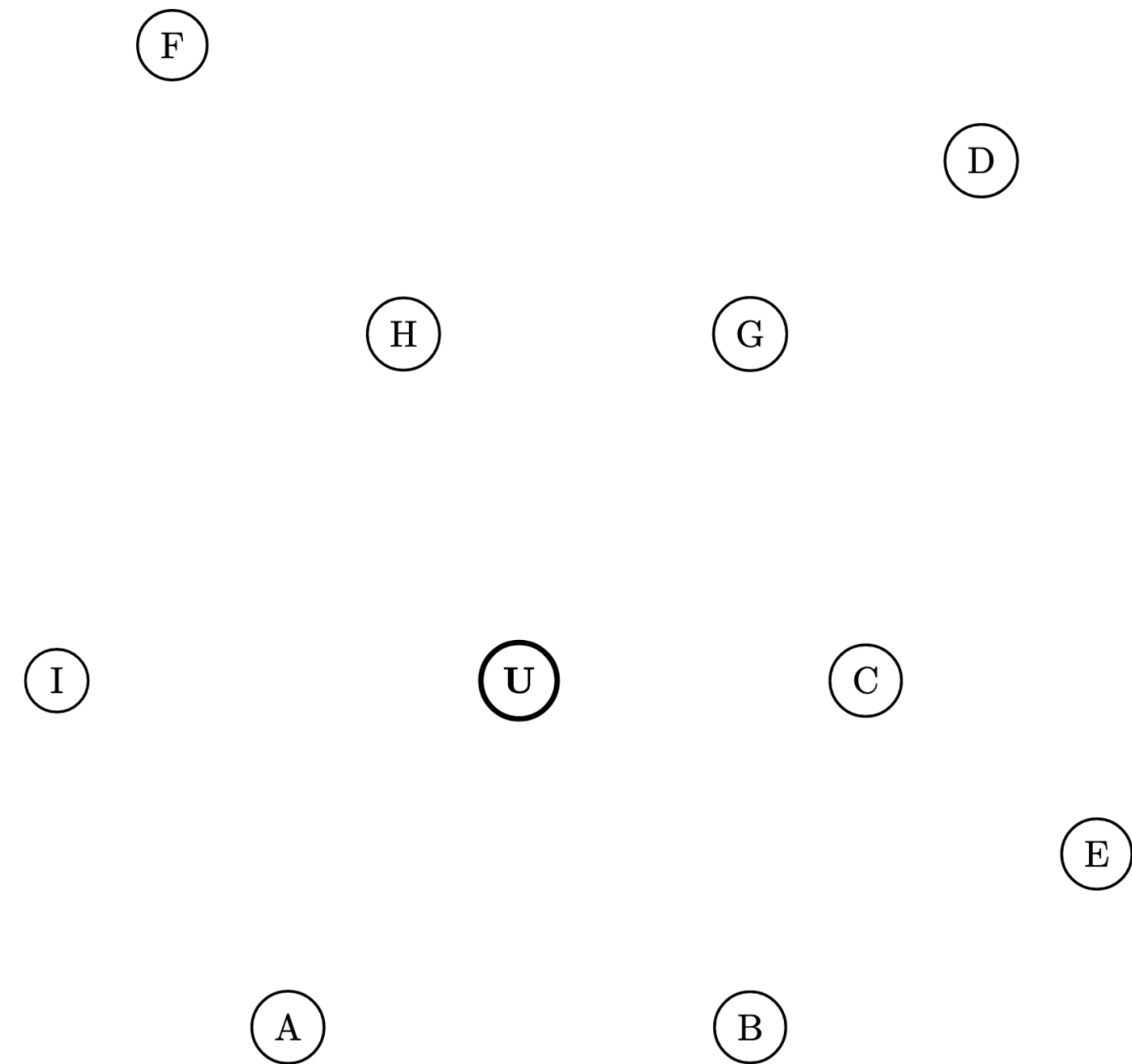
Source-and-Destination-Based Routing

possible to route based on
the source, not destination?

compare dst-based routing
to src-and-dst-based routing

Task 5

Reverse Dijkstra (Exam 2020)



no parallel edges

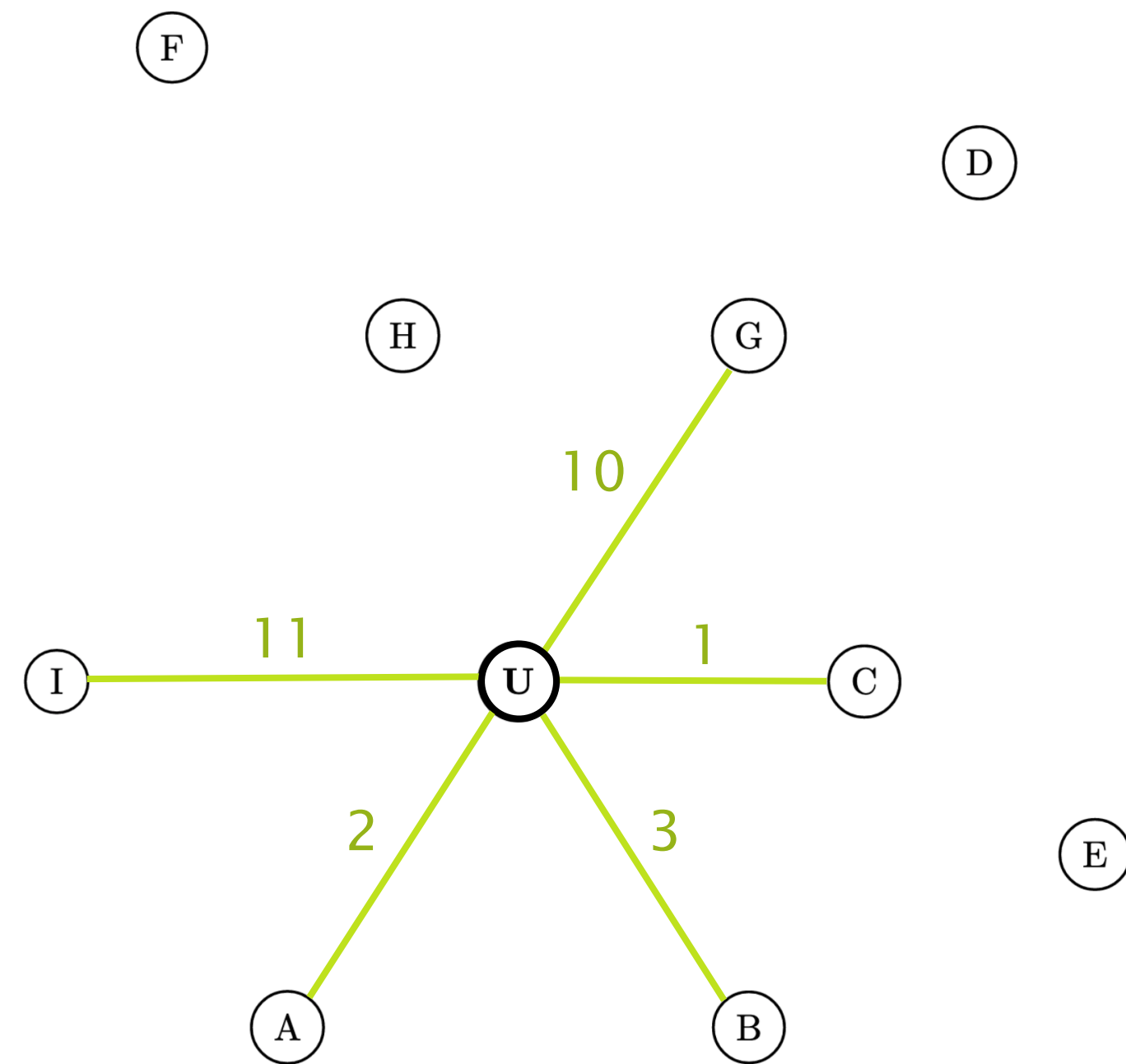
only positive weights

tie-break: alphabet

#	U	A	B	C	D	E	F	G	H	I
1	0	2	3	1	-	-	-	10	-	11

Task 5

Reverse Dijkstra (Exam 2020)



no parallel edges

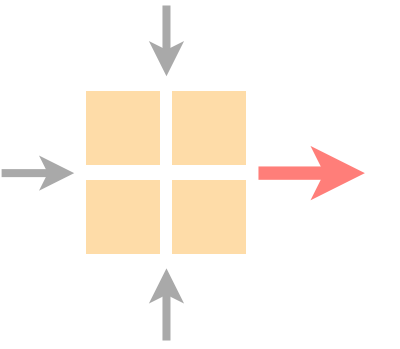
only positive weights

tie-break: alphabet

#	U	A	B	C	D	E	F	G	H	I
1	0	2	3	1	-	-	-	10	-	11

Communication Networks

Spring 2022



last week's exercise

interactive questions

this week's exercise

time to solve the exercise