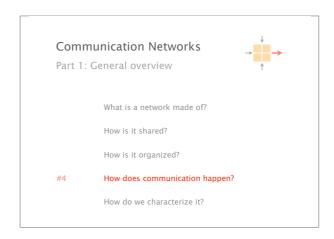
Communication Networks

Prof. Laurent Vanbever



Last week on
Communication Networks

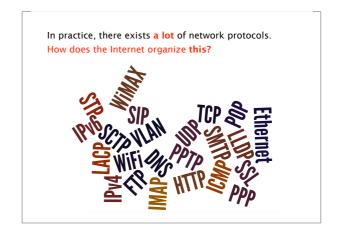


The Internet should allow

processes on different hosts

to exchange data

everything else is just commentary...



Each layer provides a service to the layer above by using the services of the layer directly below it

Applications
...built on...

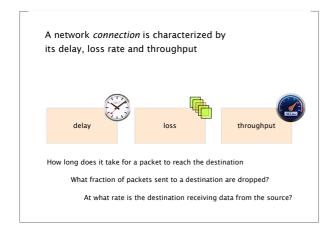
Reliable (or unreliable) transport
...built on...

Best-effort global packet delivery
...built on...

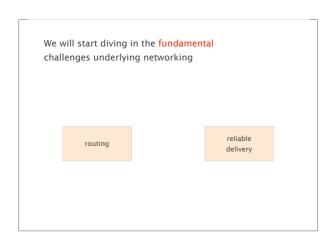
Best-effort local packet delivery
...built on...

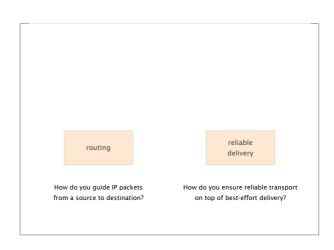
Physical transfer of bits

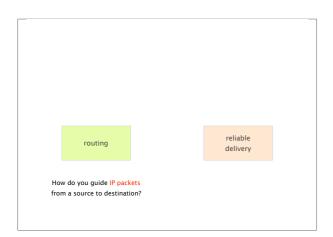












Essentially, there are three ways to compute valid routing state

Intuition Example

#1 Use tree-like topologies Spanning-tree

#2 Rely on a global network view Link-State SDN

#3 Rely on distributed computation Distance-Vector BGP

#1 Use tree-like topologies Spanning-tree

Rely on a global network view Link-State SDN

Rely on distributed computation Distance-Vector BGP

The easiest way to avoid loops is to route traffic on a loop-free topology

simple algorithm

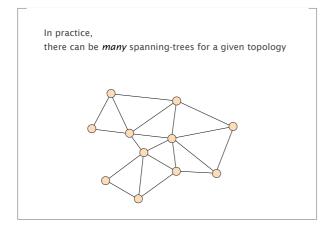
Take an arbitrary topology

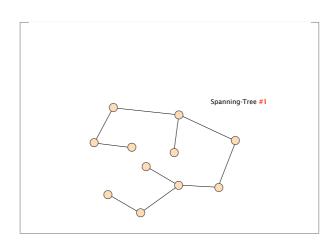
Build a spanning tree and ignore all other links

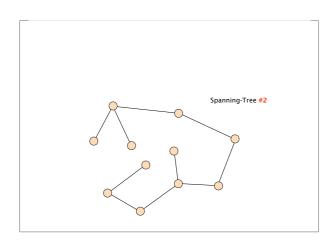
Done!

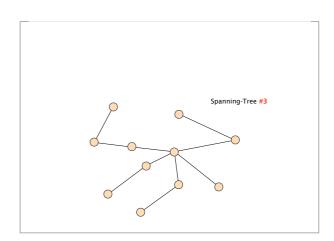
Why does it work?

Spanning-trees have only one path between any two nodes

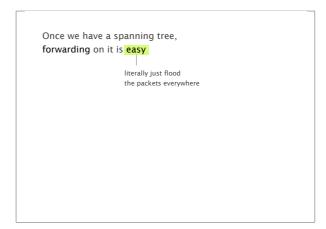


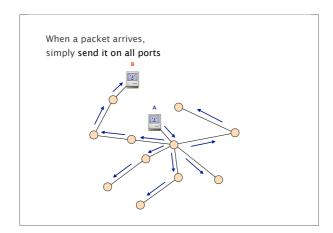


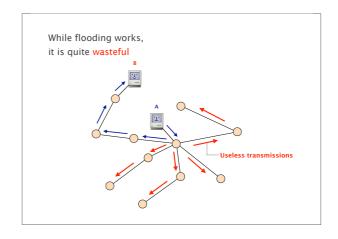




We'll see how to compute spanning-trees in 2 weeks. For now, assume it is possible







The issue is that nodes do not know their respective locations

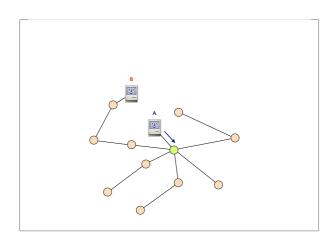
Nodes can learn how to reach nodes by remembering where packets came from

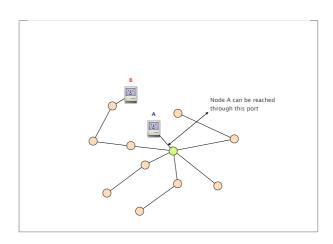
intuition

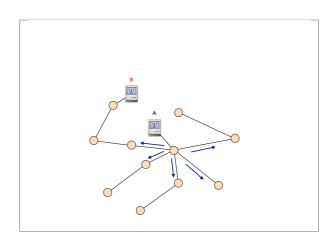
if

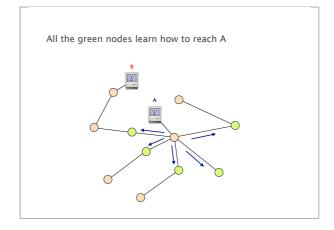
flood packet from node A
entered switch X on port 4
then

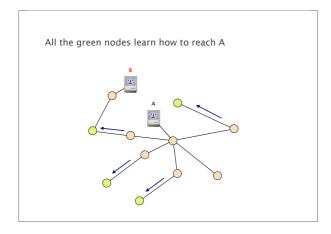
switch X can use port 4
to reach node A

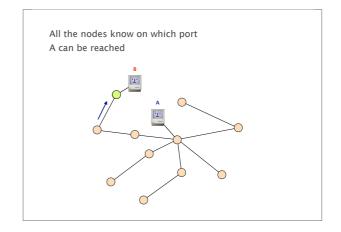


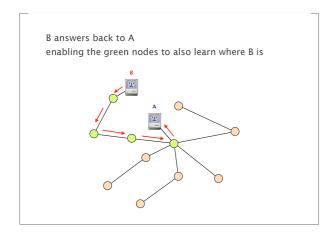


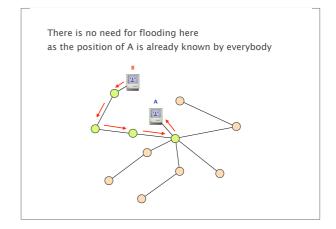


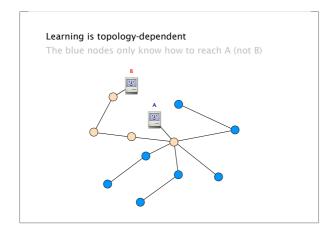


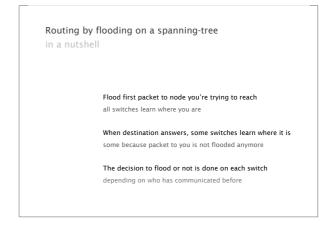


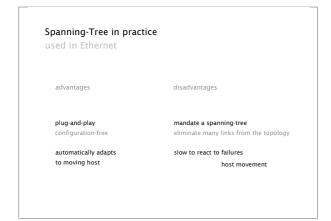


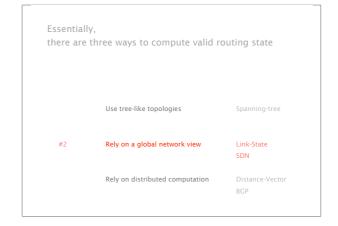








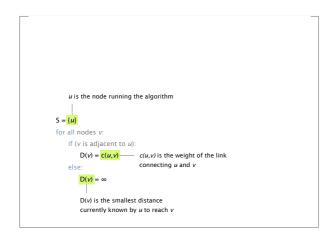


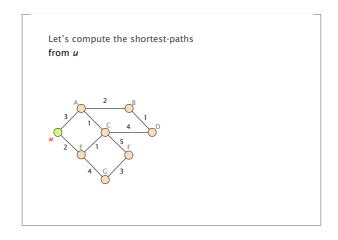


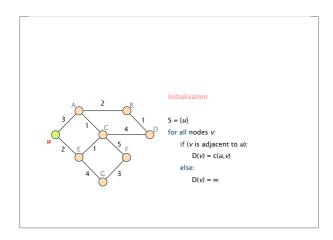
If each router knows the entire graph, it can locally compute paths to all other nodes

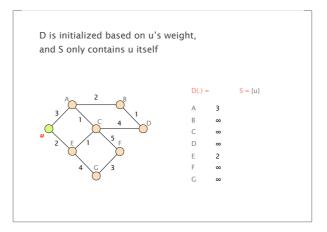
Once a node u knows the entire topology, it can compute shortest-paths using Dijkstra's algorithm

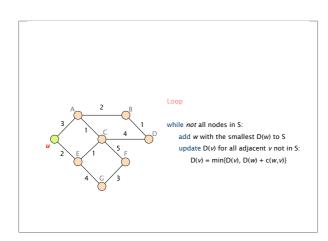
Initialization Loop $S = \{u\} \qquad \text{while } not \text{ all nodes in S:} \\ \text{for all nodes } v: \qquad \text{add } w \text{ with the smallest D}(w) \text{ to S} \\ \text{if } (v \text{ is adjacent to } u): \qquad \text{update D}(v) \text{ for all adjacent } v \text{ not in S:} \\ D(v) = c(u,v) \qquad D(v) = \min\{D(v), D(w) + c(w,v)\} \\ \text{else:} \qquad D(v) = \infty$

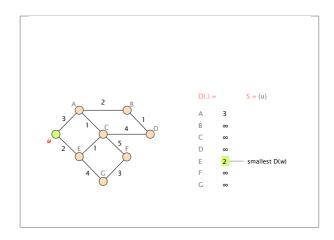


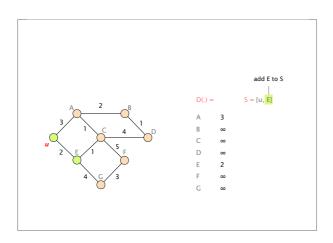


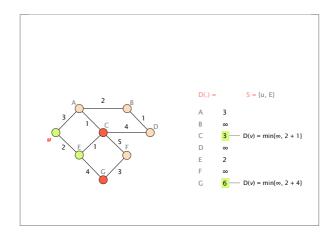


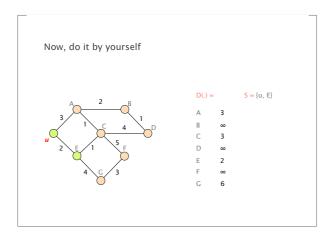


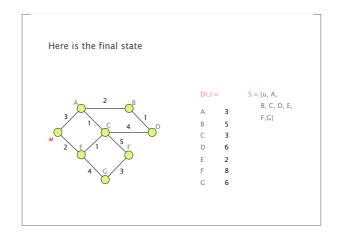


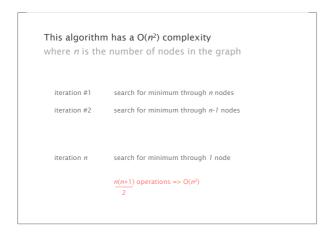






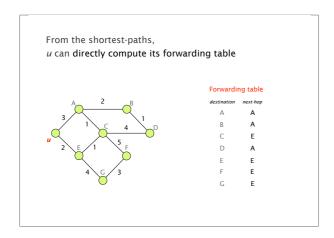


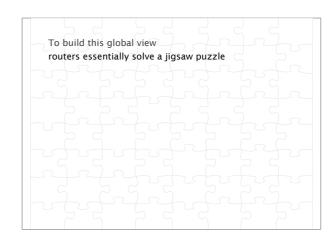


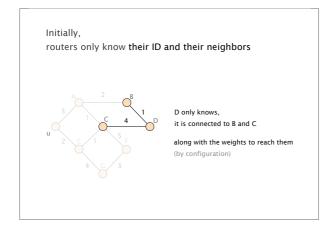


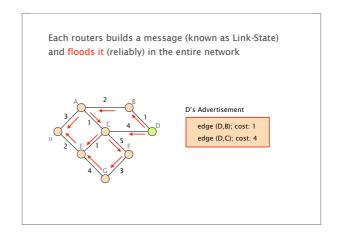
This algorithm has a O(n²) complexity where n is the number of nodes in the graph

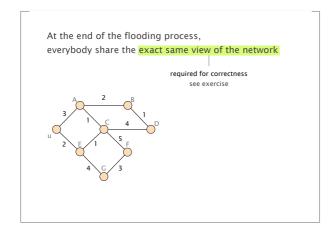
Better implementations rely on a heap to find the next node to expand, bringing down the complexity to O(n log n)











Dijkstra will always converge to a unique stable state when run on static weights

cf. exercice session for the dynamic case

Essentially,
there are three ways to compute valid routing state

Use tree-like topologies Spanning-tree

Rely on a global network view Link-State
SDN

#3 Rely on distributed computation Distance-Vector
BCP

Instead of locally compute paths based on the graph, paths can be computed in a distributed fashion

Let d<mark>.(y)</mark> be the cost of the least-cost path known by **x** to reach *y* Let d_x(y) be the cost of the least-cost path known by x to reach y

Each node bundles these distances into one message (called a vector)

until convergence that it repeatedly sends to all its neighbors

Let d_x(y) be the cost of the least-cost path known by x to reach y

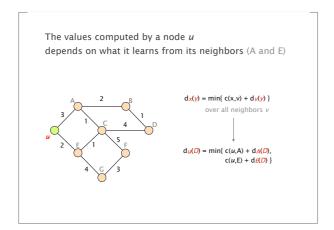
Each node bundles these distances into one message (called a vector)

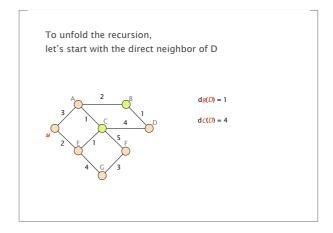
that it repeatedly sends to all its neighbors

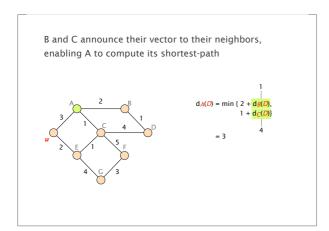
Each node updates its distances based on neighbors' vectors:

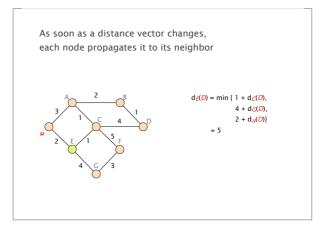
d_x(y) = min{ c(x,y) + d_x(y) } over all neighbors y

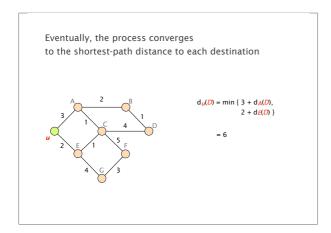
Let's compute the shortest-path from u to D











As before, *u* can directly infer its forwarding table by directing the traffic to the best neighbor the one which advertised the smallest cost

Evaluating the complexity of DV is harder, we'll get back to that in a couple of weeks

Next week on
Communication Networks

Reliable transport!